

## MATLAB

### Chapter III : Introduction to programming with Matlab

We have seen so far how to use Matlab to perform commands or to evaluate expressions by writing them in the command line (After prompt >>), so the commands used are usually written as a single statement (possibly on a single line).

However, there are problems whose description of their solutions requires several instructions, which require the use of several lines. For example, searching for the roots of a second-degree equation (taking into account all possible cases).

A collection of well-structured instructions for solving a given problem is called a program. In this part of the course, we will present the mechanisms of writing and executing programs in Matlab.

#### 1. General :

##### 1.1 Comments :

Comments are explanatory sentences ignored by Matlab and intended for the user to help him understand the part of the commented code.

In Matlab a comment starts with the % symbol and occupies the rest of the line.

For example :

```
>> A=B+C ;           % Give A the value of B+C
```

##### 1.2 Writing long expressions :

If a long expression cannot be written in a single line, it can be divided into several lines by putting at the end of each line at least three points.

Example :

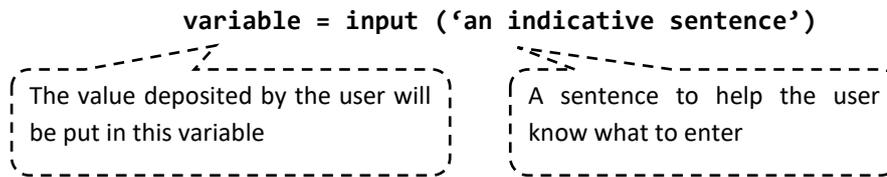
```
>> (sin(pi/3)^2/cos(pi/3)^2)-(1-2*(5+sqrt(x)^5/(-2*x^3-x^2)^1+3*x)) ;
```

This expression can be rewritten as follows :

```
>> (sin(pi/3)^2/cos(pi/3)^2)- ... ↵
>> (1-2*(5+sqrt(x)^5 ..... ↵
>> /(-2*x^3-x^2)^1+3*x)) ; ↵
```

##### 1.3 Reading data in a program (Inputs) :

To read a value given by the user, it is possible to use the **input** command, which has the following syntax :



When Matlab executes such an instruction, the indicative phrase will be displayed to the user waiting for the latter to enter a value.

**for example :**

```
>> A = input ('Enter a whole number : ')
Enter a whole number : 5
A =
    5
>>
```

```
>> A = input ('Enter a whole number : ');
Enter a whole number : 5
>>
```

```
>> B = input ('Enter a vector line : ')
Enter a vector line : [1:2:8,3:-1:0]
B =
    1     3     5     7     3     2     1     0
```

### 1.4 Writing data in a program (Outputs) :

We have already seen that Matlab can display the value of a variable by typing only the name of this last. For example :

```
>> A = 5 ;
>> A
A =
    5
    % Ask Matlab to display the value of A
```

With this method, Matlab writes the name of the variable (A) then the sign (=) followed by the desired value. However, there are cases where only the value of the variable is displayed (without the name and without the sign =).

To do this, we can use the **disp** function, which has the following syntax:**disp(object)**

The value of the object can be a number, a vector, a matrix, a string or an expression.

It is reported that with an empty vector or matrix, **disp** displays nothing.

**Example :**

```
>> disp(A)
    % Display the value of A without 'A = '
```

```

5
>> disp(A);           % Semicolon has no effect
5
>> B                 % Display vector B by the classical method
B =
    1     3     5     7     3     2     1     0
>> disp(B)           % Display the vector B without 'B = '
    1     3     5     7     3     2     1     0
>> C = 3 :1 :0       % Creating an empty C vector
C =
Empty matrix: 1-by-0
>> disp(C)           % disp displays nothing if vector is empty
>>
    
```

## 2. Logical expressions :

### 2.1 Logical operations :

the comparison operation	its meaning
==	equality
~=	inequality
>	greater than
<	less than
>=	greater than or equal to
<=	less than or equal to
logical operations	its meaning
&	the bitwise and
	the logical OR
~	the logical negation

In Matlab a logical variable can take the values 1(true) or 0(false) with a small rule that assumes that :

- 1) Any value equal to 0 will be considered false (**= 0 ⇒ false**)
- 2) Any value other than 0 will be considered true (**≠ 0 ⇒ true**).

The following table summarizes the operation of logical operations :

a	b	a & b	a   b	~a
1 (true)	1(true)	1	1	0
1 (true)	0 (false)	0	1	0
0(false)	1 (true)	0	1	1
0 (false)	0 (false)	0	0	1

For example :

```
>> x=10;
```

```
>> y=20;
>> x < y          % displays 1 (true)
    ans =
         1
>> x <= 10        % displays 1 (true)
    ans =
         1
>> x == y         % displays 0 (false)
    ans =
         0
>> (0 < x) & (y < 30) % displays 1 (true)
    ans =
         1
>> (x > 10) | (y > 100) % displays 0 (false)
    ans =
         0
>> ~(x > 10)      % displays 1 (true)
    ans =
         1
>> 10 & 1          % 10 is considered true therefore 1 & 1 = 1
    ans =
         1
>> 10 & 0          % 1 & 0 = 1
    ans =
         0
```

## 2.2 Matrix comparison :

The comparison of vectors and matrices differs somewhat from scalars, hence the usefulness of the two functions 'isequal' and 'isempty' (which allow to give a concise answer for comparison).

Function	Description
<b>isequal</b>	tests whether two (or more) matrices are equal (having the same elements everywhere). Returns 1 if so, and 0 otherwise.
<b>isempty</b>	tests if a matrix is empty (contains no elements). Returns 1 if it is, and 0 otherwise.

To better perceive the impact of these functions follow the following example :

```
>> A=[5,2;-1,3]    % create the matrix A
    A =
         5     2
        -1     3
>> B=[5,1;0,3]    % create the matrix B
    B =
         5     1
         0     3
>> A==B           % test whether A=B ? (1 or 0 depending on the position)
```

```

ans =
     1     0
     0     1
>> isequal(A,B)           % Test if A and B are equal (the same)
ans =
     0
>> C=[] ;                 % Create the empty matrix C
>> isempty(C)             % Test if C is empty (true = 1)
ans =
     1
>> isempty(A)             % Test if A is empty (displays false = 0)
ans =
     0
    
```

### 3. Flow control structures

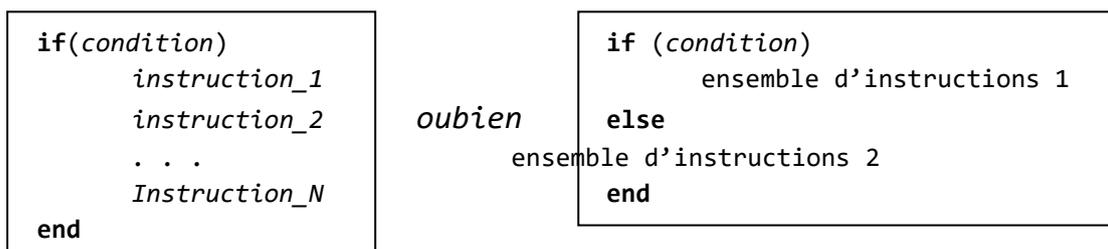
Flow control structures are instructions for defining and manipulating the order of execution of tasks in a program. They offer the possibility to perform different treatments depending on the state of the program data, or to perform repetitive loops for a given process. Matlab has eight flow control structures, namely :

- **if**
- **switch**
- **for**
- **while**
- continue
- break
- try - catch
- return

We expose the first four : (if, switch, for and while)

#### 3.1 the if statement :

The if statement is the simplest and most widely used flow control structure. It guides the execution of the program according to the logical value of a condition. Its general syntax is as follows :



If the condition is evaluated at vari, the instructions between the **if** and the end will be executed, sinonelles will not (or **if** an else exists the instructions between the **else** and the end will be executed). If it is necessary to check several conditions instead of only one, **elseif** clauses can be used for each new condition, and in the end an **else** can be set in case no condition has been evaluated to true. Here is the general syntax:

```

if (expression _1)
    set of instructions 1
elseif (expression_2)
    set of instructions 2
    ....
elseif (expression_n)
    set of instructions n
else
    set of instructions if all expressions were false
end
    
```

For example, the following program defines you according to your age :

```

>> age = input('Enter your age : '); ...
if (age <2)
    disp('You are a fool')
elseif (age <13)
    disp('You are a child')
elseif (age < 18)
    disp ('You are an adolescent')
elseif (age <60)
    disp ('You are unadulterated)
else
    disp ('You are an old man)
end
    
```

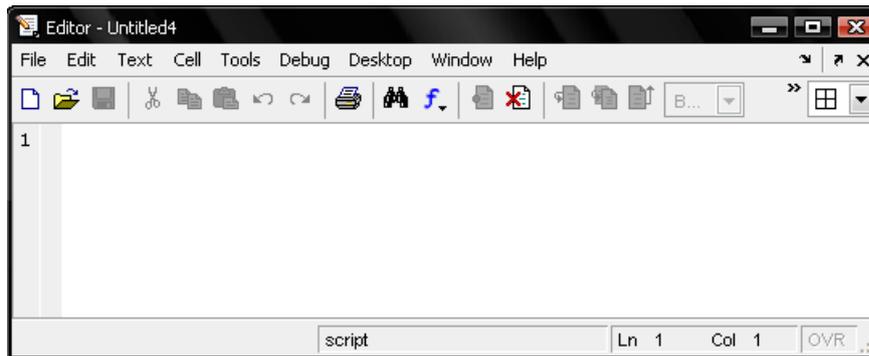
As you can see, writing a Matlab program directly after the command prompt (the prompt >>) is a bit unpleasant and annoying.

A more convenient method is to write the program to a separate file, and call that program (if necessary) by typing the file name in the command prompt.

This approach is defined in Matlab by M-Files, which are files that can contain data, programs (scripts) or functions that we develop.

To create an M-Files simply type the command edit, or simply go to the menu: File New M-Files (or click on the icon ).

In any case an editing window like this will appear :



All you have to do is write your program in this window and save it with a name (for example: 'First\_Program.m'). It is reported that the extension of the M-Files files is always '.m'.

Now, if we want to run our program, just go to the usual command prompt (>>) and then type the name of our file (without the '.m') like this:

```
>> First_Program
```

And the program will start running immediately.

To return to the editing window (after closing it) simply enter the command :

```
>> edit First_Program
```

### Example :

Let's create a program that finds the roots of a second-degree equation designated by :

$ax^2+bx+c=0$ . Here is the M-File that contains the program (it is saved with the name 'Equation2deg.m' )

```
% Programme de résolution de l'équation a*x^2+b*x+c=0

a = input ('Entrez la valeur de a : ');           % lire a
b = input ('Entrez la valeur de b : ');           % lire b
c = input ('Entrez la valeur de c : ');           % lire c

delta = b^2-4*a*c ;                               % Calculer delta
if delta<0
disp('Pas de solution')                            % Pas de solution
elseif delta==0
    disp('Solution double : ')                    % Solution double
    x=-b/(2*a)
else
    disp('Deux solutions distinctes: ')          % Deux solutions
    x1=(-b+sqrt(delta))/(2*a)
    x2=(-b-sqrt(delta))/(2*a)
end
```

If we want to run the program, just type the name of the program:

```
>> Equation 2 of g
Enter the value of a : -2
Enter the value of b : 1
Enter the value of c : 3
Two solutions:
x1 =
    -1
x2 =
    1.5000
```

Thus, the program will be executed following the instructions written in its M-File. If an instruction is terminated by a semicolon, then the value of the variable concerned will not be displayed, but if it ends with a comma or a line break, then the results will be displayed.

**Note :** Il et Note: There is the predefined **solve** function in Matlab to find the roots of an equation (and much more). If we want to apply it to our example, just write:

```
>> solve('-2*x^2+x+3=0', 'x')
years =
    -1
    3/2
```

### 3.2 The switch statement :

The **switch** statement executes groups of statements based on the value of a variable or expression. Each group is associated with a **case** clause that defines whether or not this group should be executed according to the equality of the value of this box with the evaluation result of the **switch** expression. If not all **cases** have been accepted, it is possible to add an **otherwise** clause that will be executed only if no box is executed.

Therefore, the general form of this instruction is:

```
switch (expression)
    case value_1
        Instruction group 1
    case value_2
        Instruction group 2
        . . .
    case value_n
        Instruction group n
    otherwise
        Package instructions where the boxes have failed
end
```

**Example :**

```
x = input ('Enter un number: ');
switch(x)
```

```

case 0
    par ('x = 0 ')
case 10
    par('x = 10 ')
case 100
    par('x = 100 ')
otherwise
    par('x n'' is not s 0 or 10 or 100')
end
    
```

The execution will give:

```

Enter a number : 50 ↵
x is not 0 or 10 or 100
    
```

### 3.3 The for statement :

The **for** statement repeats the execution of a group of instructions a specified number of times. It has the following general form:

```

for variable = expression_vector
    instruction group
end
    
```

vecteur The expression\_vector corresponds to the definition of a vector: *start: not: end or start: end*

The variable will go through all the elements of the vector defined by the expression, and for each it will execute the group of instructions.

**Example :**

In the following table, we know three forms of the for statement with the Matlab result:

The instruction for	for i = 1 : 4 j=i*2 ; disp(j) end	for i = 1 : 2 : 4 j=i*2 ; disp(j) end	for i = [1,4,7] j=i*2 ; disp(j) end
the resultat of the execution	2 4 6 8	2 6	2 8 14

### 3.4 The while statement :

The **while** statement repeats the execution of a group of statements an indeterminate number of times depending on the value of a logical condition. It has the following general form:

```
while (condition)
    set of instructions
end
```

As long as the expression of **while** is evaluated to true, the instructions set will run in a loop.

#### Example :

```
a=1 ;
while (a~=0)
    a = input ('Enter unnombre (0 to finish) : ');
end
```

This program asks the user to enter a number. If this number is not equal to 0 then the loop repeats, otherwise (if the given value is 0) then the program stops.

### 4. Recap exercise

There are predefined functions in Matlab given in the table below. Let's try to program them (for a given vector V).

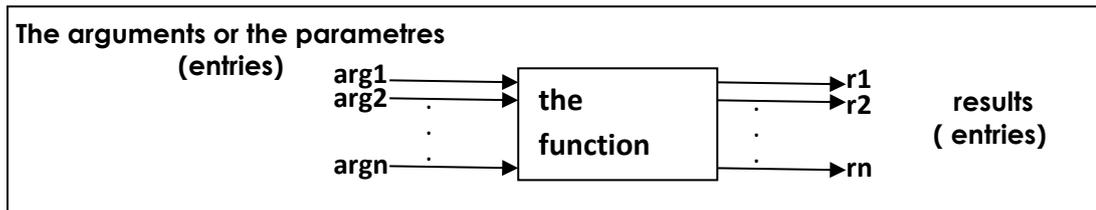
<b>function</b>	<b>Description</b>	<b>The program that simulates it</b>
<b>sum (V)</b>	The sum of the elements of a vector V	<pre>n = length(V); sum = 0 ; for i = 1 : n sum=sum+V(i) ; end disp(sum)</pre>
<b>prod (V)</b>	The product of elements of a vector V	<pre>n = length(V); product = 1 ; for i = 1 : n product=product*V(i) ; end disp(product)</pre>
<b>mean (V)</b>	The average of the elements of a vector V	<pre>n = length(V); moyenne = 0 ; for i = 1 : n moyenne = moyenne+V(i) ; end moyenne = moyenne / n</pre>

<p><b>diag (V)</b></p>	<p>Create a matrix with vector V in the diagonal, and 0</p>	<pre>n = length(V); A = zeros(n); for i = 1 : n     A(i,i)=V(i); end disp(A)</pre>
<p><b>sort(V)</b></p>	<p>Order elements of vector V in ascending order</p>	<pre>n = length(V); for i = 1 : n-1     for j = i+1 : n         if V(i) &gt; V(j)             tmp = V(i);             V(i) = V(j);             V(j) = tmp;         end     end end disp(V)</pre>

## 5. The functions

There is a difference in concept between functions in computer science or mathematics:

1. In computer science, a function is a routine (a sub-program) that accepts arguments (parameters) and returns a result.



1. In mathematics a function  $f$  is a relationship that assigns to each value  $x$  no more than one value  $f(x)$ .

### 5.1 Creating a function in an M-Files:

Matlab contains a large number of predefined functions such as **sin**, **cos**, **sqrt**, **sum**, ... etc. And it is possible to create our own functions by writing their source codes in M-Files (with the same function name) respecting the following syntax:

```
function [r1, r2, ..., rn] = nom_fonction (arg1, arg2, ..., argn)

    % The body of the function
    . . .
    r1 = . . . % the value returned for r1
    r2 = . . . % The value returned for r2
    . . .
    rn = . . . % the value returned for rn
end
% The end is optional
```

Or:  $r_1...r_n$  are the values returned, and **arg<sub>1</sub>...arg<sub>n</sub>** are the arguments.

**Example :** Write a function that calculates the square root of a number by the Newton method (view in the TD).

**Solution :**

```
>> edit
```

```
function r =racine(nombre)
r = nombre/2;
precision = 6;
for i = 1:precision
    r = (r + nombre ./ r) / 2;
end
```

The root file. m

**Execution :**

```
>> x = root (9)
x =
    3

>> x = root (196)
x =
  14.0000

>> x = root ([16,144,9,5])
x =
    4.0000    12.0000    3.0000    2.2361
```

**Remark :**

Unlike a program (a script), a function can be used in an expression for example :

**2\* root (9)-1.**

**Comparison between a program is a function**

program	fonction
<pre>a = input('Enter a positive number: '); x = a/2; Precision = 6; for i = 1:precision     x = (x + a ./ x) / 2; end disp(x)</pre>	<pre>function r =root(number) r = number /2; Precision = 6; for i = 1: Precision     r = (r + number ./ r) / 2; end</pre>
<p><b>execution :</b></p> <pre>&gt;&gt; root ↵ Enter a positive number: 16↵ 4</pre>	<p><b>execution :</b></p> <pre>&gt;&gt; root (16) ans =     4</pre>
<p>one cannot write expressions such as :</p> <pre>&gt;&gt; 2* root + 4</pre>	<p>you can write phrases like :</p> <pre>&gt;&gt; 2* root (x) + 4</pre>

## 6. Polynomials

MATLAB represents a polynomial as a row vector containing the coefficients arranged in decreasing order of powers. For example, the polynomial P given by  $P(x) = x^2 - 6x + 9$  is represented as:

Let me know if you need further adjustments:

```
>> P = [1 -6 9]
```

The following table shows some MATLAB commands for manipulating polynomials:

```
>> y=polyval(p,x)
```

```
>> z=roots(p)
```

```
>> p=conv(p1,p2)
```

```
>> [q,r]=deconv(p1,p2)
```

```
>> y=polyder(p)
```

```
>> y=polyint(p)
```